

MOTION PRACTICE #1 ANSWER KEY

For the following problems, let's designate the Skyline Flagpole of Physics as the "origin." Let's also designate **north** to be the positive direction and **south** as the negative direction.

1. If you start 3m north of the flagpole and ride your bike at a constant velocity of 4 m/s for 12 seconds:

a. Use the equation $d_2 = v \cdot t + d_1$ to calculate your final displacement

$$d_1 = 3\text{m}$$

$$v = 4 \text{ m/s}$$

$$t = 12\text{s}$$

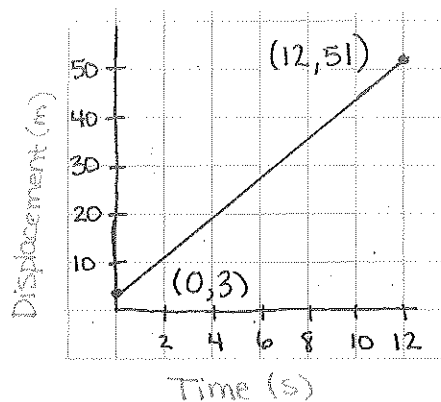
$$d_2 = ?$$

$$d_2 = vt + d_1$$

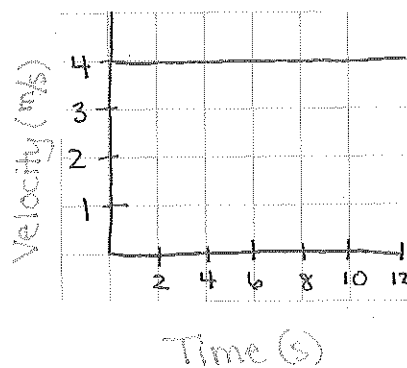
$$= (4 \text{ m/s})(12\text{s}) + (3\text{m})$$

$$d_2 = 51\text{m North}$$

b. Sketch a quantitative $d-t$ graph of your motion



c. Sketch a quantitative $v-t$ graph of your motion



2. If you start 7m south of the flagpole and ride your bike at a constant velocity of 5.75 m/s for 15 seconds:

a. Calculate your final displacement

South $\rightarrow d_i = -7\text{m}$

$$d = vt + d_i$$

North! $\rightarrow v = +5.75\text{ m/s}$

$$= (5.75\text{ m/s})(15\text{ s}) + (-7\text{ m})$$

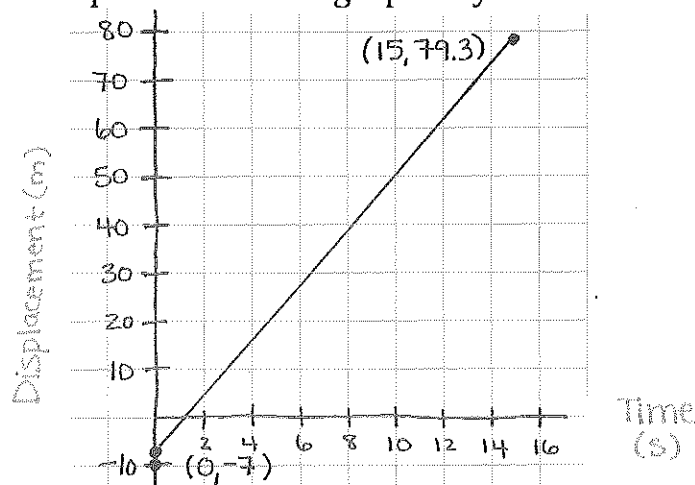
$t = 15\text{ s}$

$d = ?$

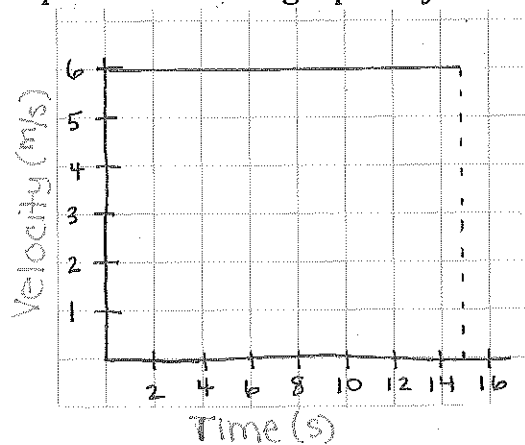
$$d = +79.3\text{ m}$$

\uparrow
North of the pole

b. Sketch a quantitative $d-t$ graph of your motion



c. Sketch a quantitative $v-t$ graph of your motion



3. If you start 12m north of the flagpole and ride your bike at a constant velocity of -8.5 m/s for 4.5 seconds:

a. Calculate your final displacement

$d_i = 12\text{m}$

$$d = v \cdot t + d_i$$

$v = -8.5\text{ m/s}$

$$= (-8.5\text{ m/s})(4.5\text{ s}) + (12\text{ m})$$

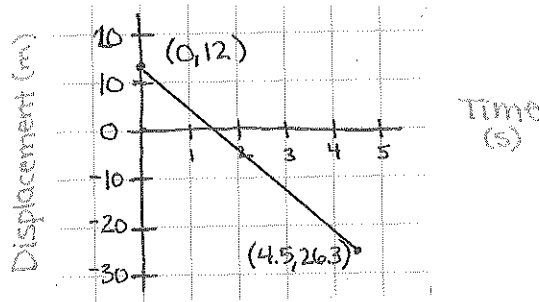
$t = 4.5\text{ s}$

$d = ?$

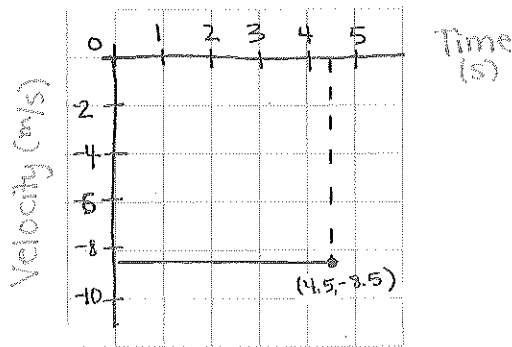
$$d = -26.3\text{ m}$$

\uparrow South of pole!

b. Sketch a quantitative $d-t$ graph of your motion



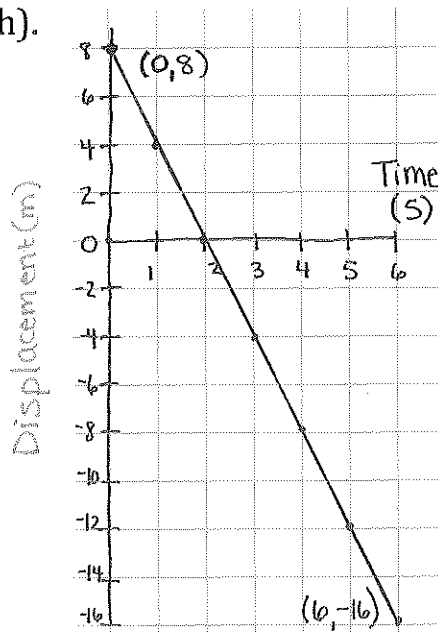
c. Sketch a quantitative $v-t$ graph of your motion



4. Sketch a quantitative $d-t$ graph for the following motion:

Starting at 8m north of the flagpole, you ride towards the pole (eventually passing it) covering 4 meters every second for a total of 6 seconds.

Write a linear equation describing this motion in the form $y = mx + b$ (but replace y and x with the appropriate variables for our graph).



$$m = \text{Slope} = \frac{d_2 - d_1}{t_2 - t_1} = \frac{(-16 - 8)\text{m}}{(6 - 0)\text{s}} = \underline{\underline{-4\text{m/s}}}$$

$$y = mx + b$$

$\uparrow \quad \uparrow \quad \uparrow$
 $d \quad -4\text{m/s} \quad 8\text{m}$

$$d = (-4\text{m/s})t + (8\text{m})$$